
Minimum-Mass Limit of Venus Atmospheric Probes

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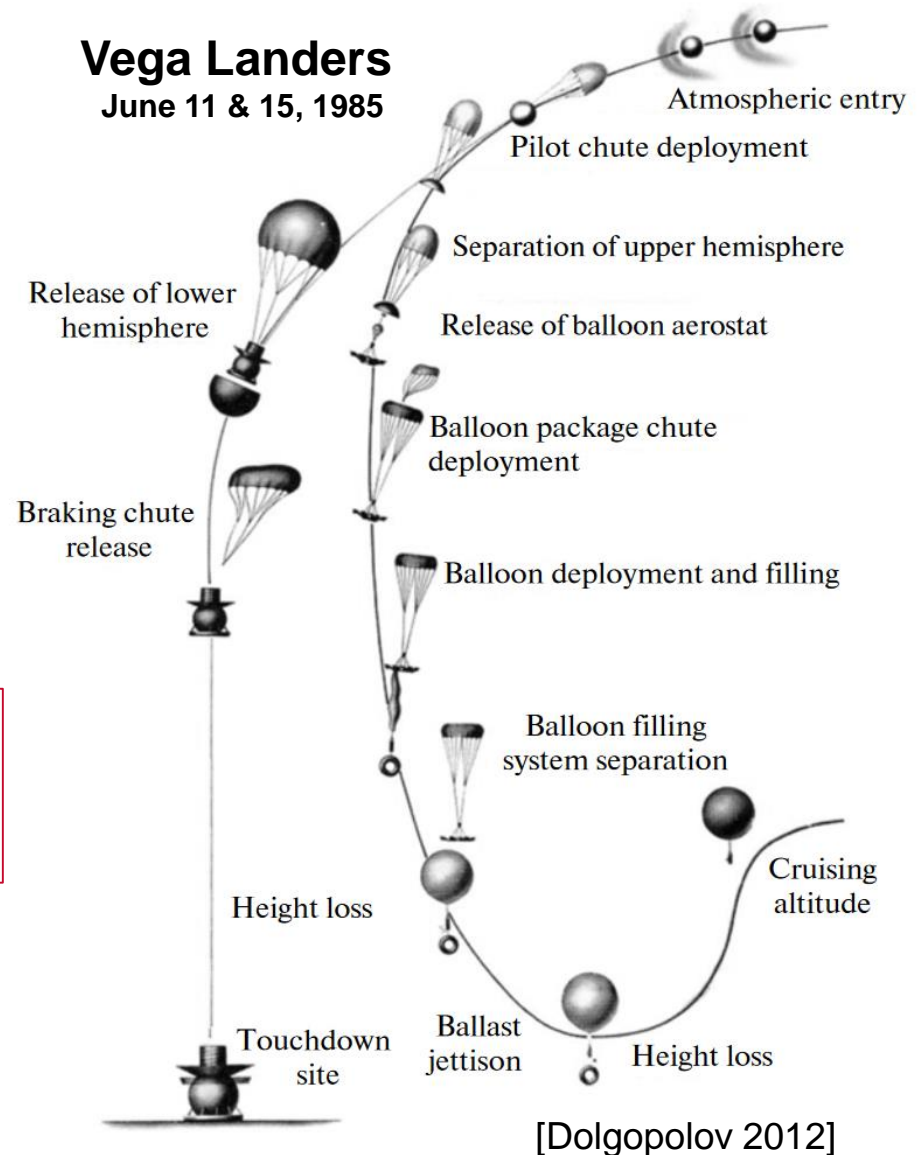
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California Institute of Technology

Motivation

Over 30 years since any sensor has entered Venus atmosphere

- Venera 4 through 14, 1967-82
- Pioneer Multiprobe, 1978
- **Vega Landers 1985**

Science impact: the last **30 years** of sensor development has yet to be used on sampled Venusian gas!



Small Probes

But flybys & orbiters plentiful since 1985

- Galileo 1990
- Magellan 1990 (orbit)
- Cassini-Huygens 1998 & 1999
- Messenger 2006 & 2007
- Venus express 2006 (orbit)
- Ikaros 2010
- Akatsuki 2015 (orbit)

Idea: Add a small probe to a larger mission

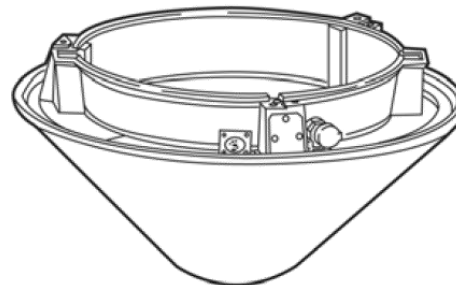
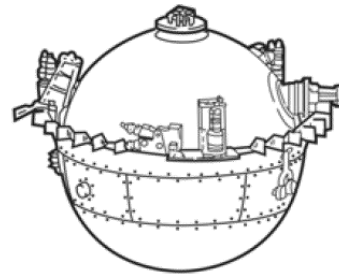
- Low mass (ideally)
- Low cost (ideally)

Pioneer Large Probe
78cm sphere, 193kg (1978)

DECELERATION
MODULE (AFT COVER)

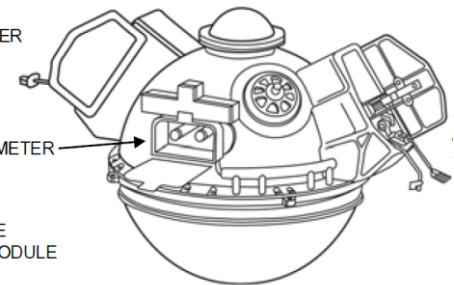


PRESSURE
VESSEL
MODULE



Pioneer Small Probe
47cm sphere, 61kg (1978)
No parachute

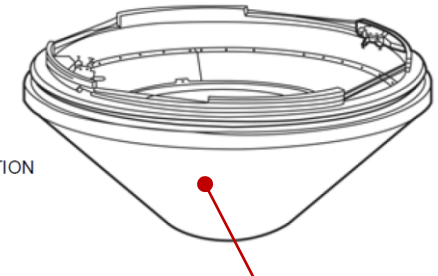
NET FLUX
RADIOMETER



NEPHELOMETER

PRESSURE
VESSEL
MODULE

DECELERATION
MODULE



+ bonus 33kg landed

[Bienstock 2004]

Question: How “small” is small?

Can we beat a 61kg sphere?

Study Goals and Method

Goal: Find minimum mass probe that can descend entire Venus atmosphere

Functional Requirements

- **Reach surface** before heat death (**750°K** temperature, **90 atm** of pressure)
- **Bring payload**, which competes with thermal & pressure systems for mass

Methodology:

- (1) **Develop simple model** of Venus atmosphere descent
- (2) **Perform parametric study** on probe mass
- (3) **Correlate** pressure & thermal system mass to probe mass
- (4) **Find** the minimum mass cutoff for a given payload

Descent Model

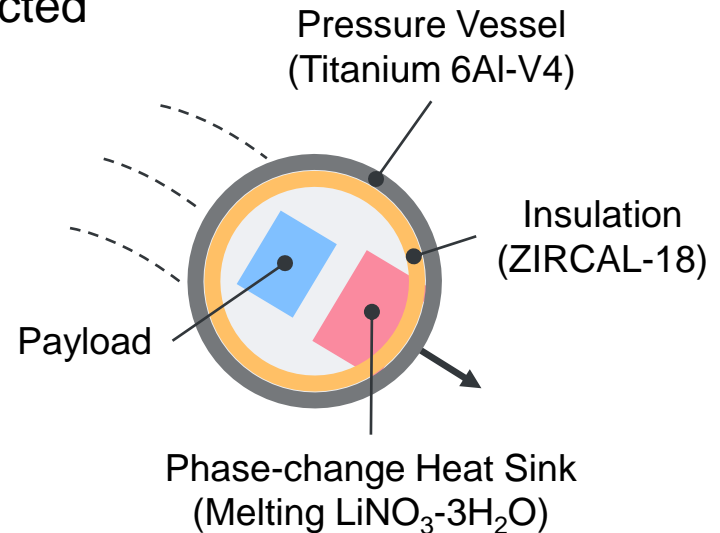
Entry completed, heat shield has already ejected

Deploy a Smooth Spherical Probe

- **No Parachute**
- **65km** altitude
- **200m/s** velocity
- **30°** angle below horizon
- **30°C** internal temperature

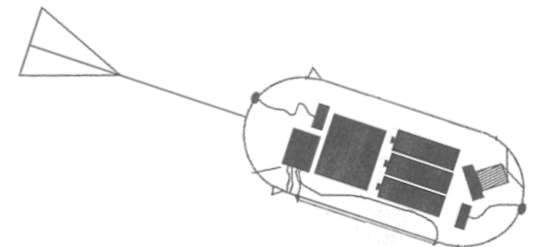
Assumptions

- **Thermal capacity: Heat Sink Only** at FOS 1.3, assumes negligible capacity from pressure vessel, structure, & insulation
- **Internal Heating:** 50 watts from payload
- **Insulation Leakage:** 50% effectiveness
- **Pressure vessel:** buckling Roark's formula, FOS 1.3
- **Atmospheric data:** VIRA model, Schofield et. al. 1985
- **Heat convection:** from Achenbach 1978
- **Drag coefficients:** from Bailey 1972



Prior Study: Lorenz 1997

- **No Pressure Vessel**
- **Payload gains +100°C**

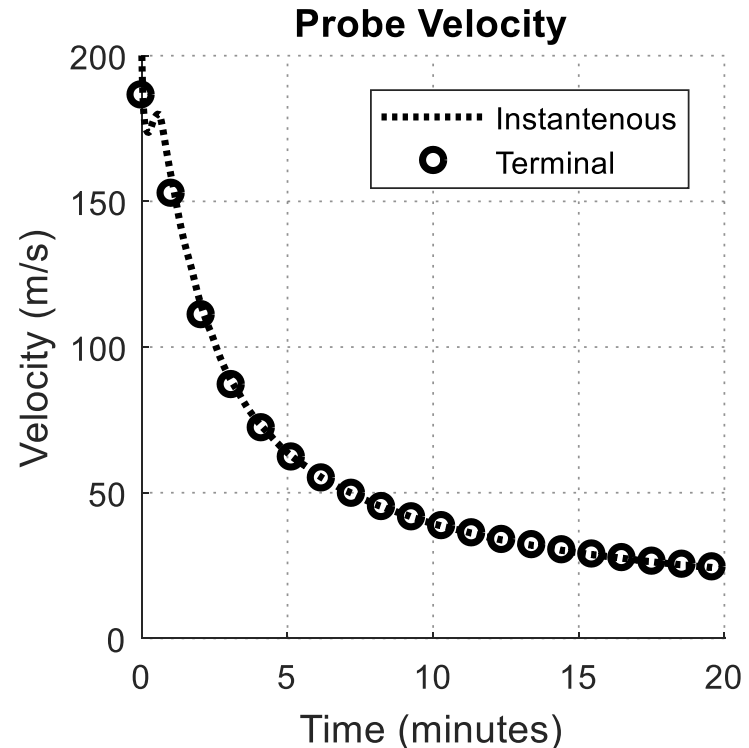
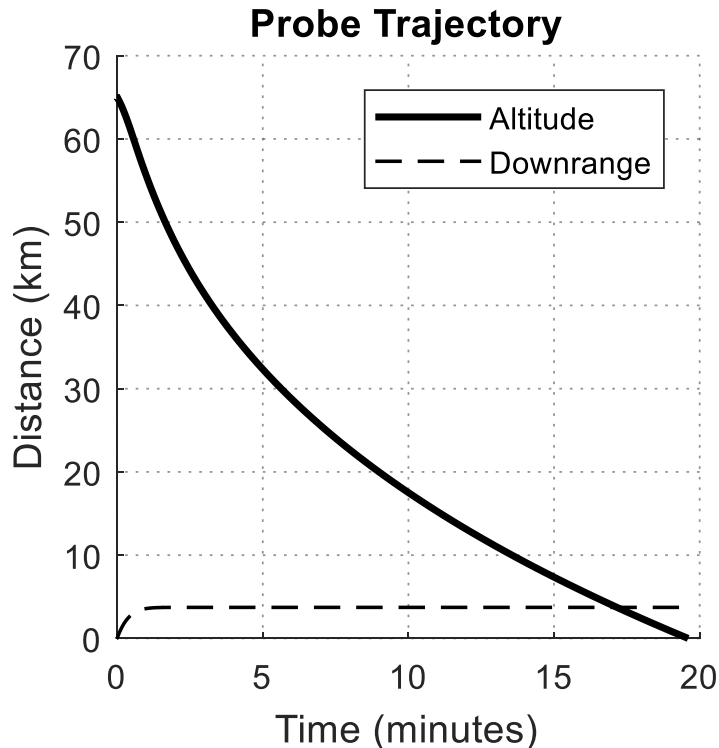
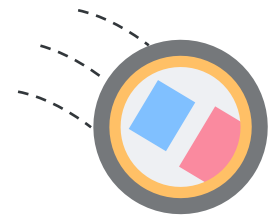


Example Probe Descent

- **500mm** diameter sphere
- **0.8 bulk density***
- **52kg** total mass
- **17kg** pressure vessel (**5mm** thick)
- **5.5kg** of insulation (**30mm** thick)
- **4.5kg** of phase-change heat sink

~50% payload mass fraction

Reaches surface in **20 minutes**, impacts at **24 m/s**



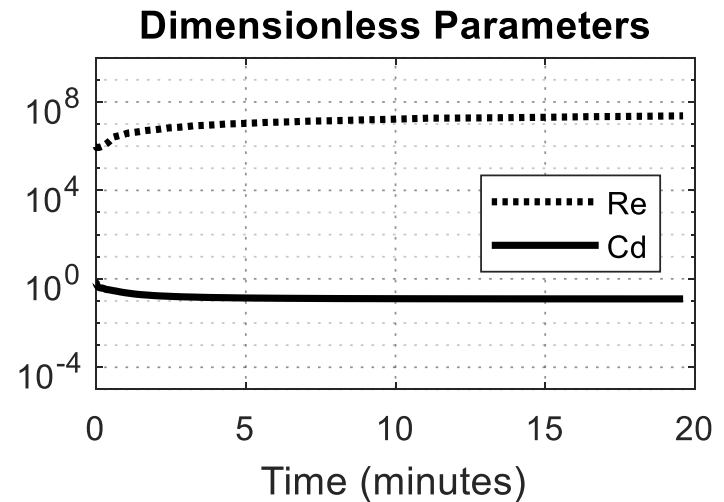
*bulk density normalized to water (1000kg/m^3): includes pressure vessel, insulation, payload, and heat sink

Lesson #1

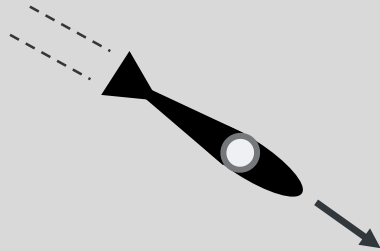
Reynolds number stays roughly constant ($Re \approx 10^7$)

- Means **constant drag coefficient** ($Cd \approx 0.2$ for a sphere)
- Lets allow **choosing Cd** as a design parameter

$$Re = \rho U L / \mu$$

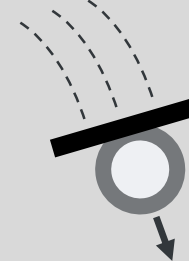


Strategy A: Fall Fast



- **Larger convection coefficient**
- **Less time to conduct heat from skin**

Strategy B: Fall Slow

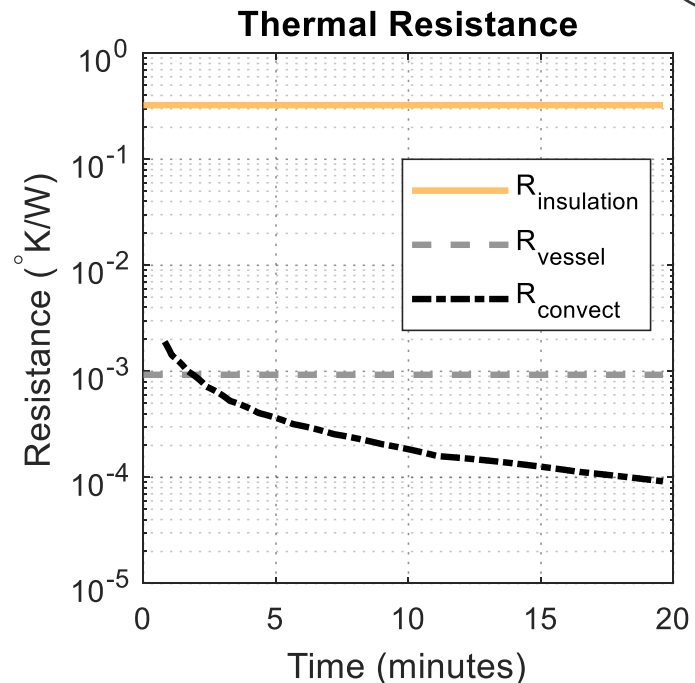
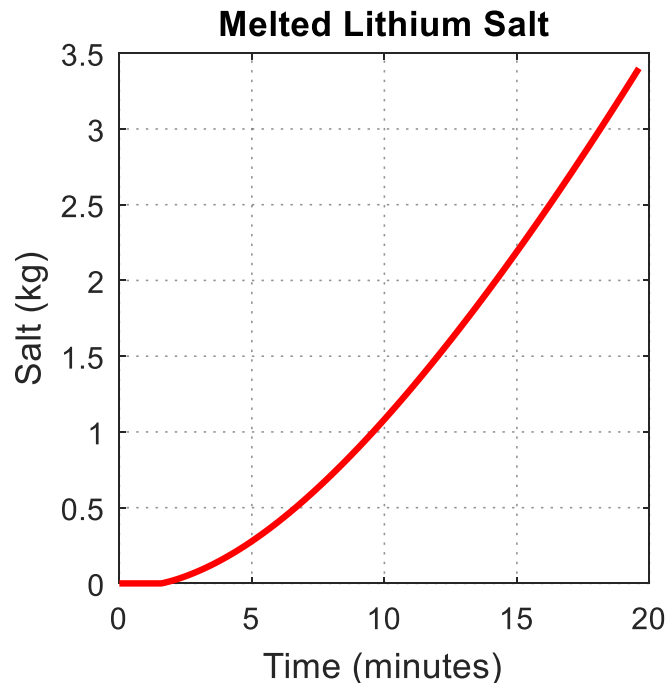
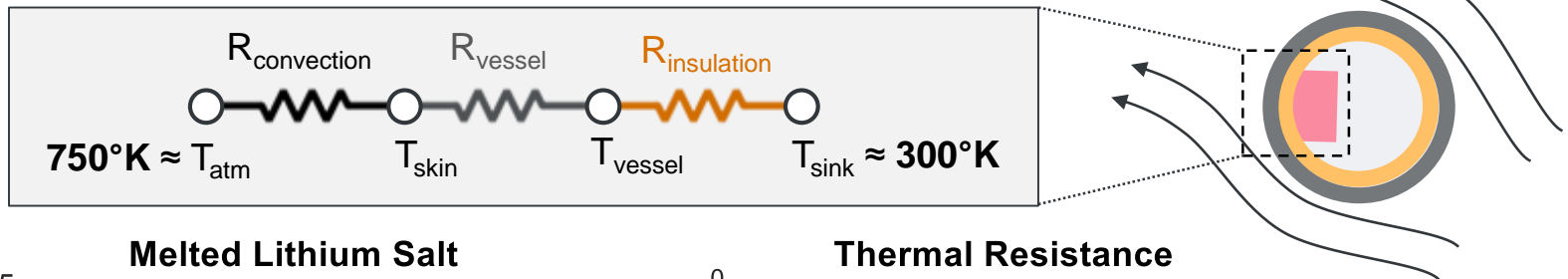


- **Smaller convection coefficient**
- **More time to conduct heat from skin**

Lesson #2

Conduction is the ***dominant*** constrictor of heat flow

- **Convection is very strong** (high velocity & $Nu \approx 10^4$)
- **Skin temperature** quickly reaches **atmosphere temperature**
- But melted only **76%** of available 4.5kg of Lithium salt



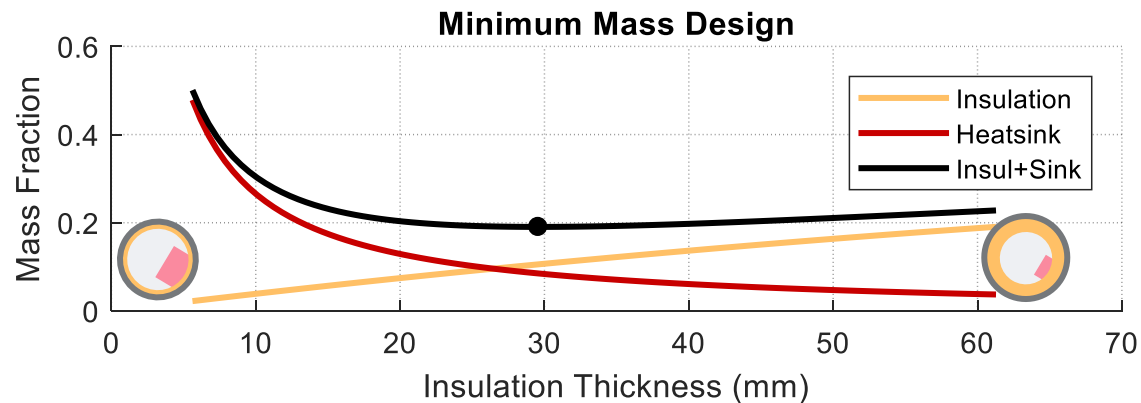
Lesson #3

Thermal design has an optimum

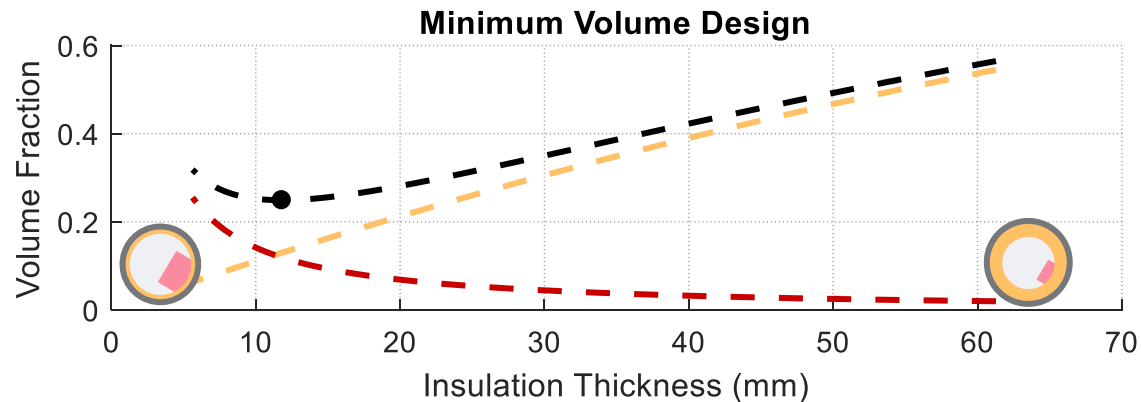
- **Time-to-impact** is only important input
- Instantaneous velocity does not matter

$$\text{Optimal Thickness} = \frac{1}{2}r - \frac{1}{2}r\sqrt{1 - 4\sqrt{C}/r^2}$$

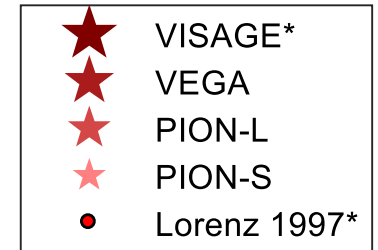
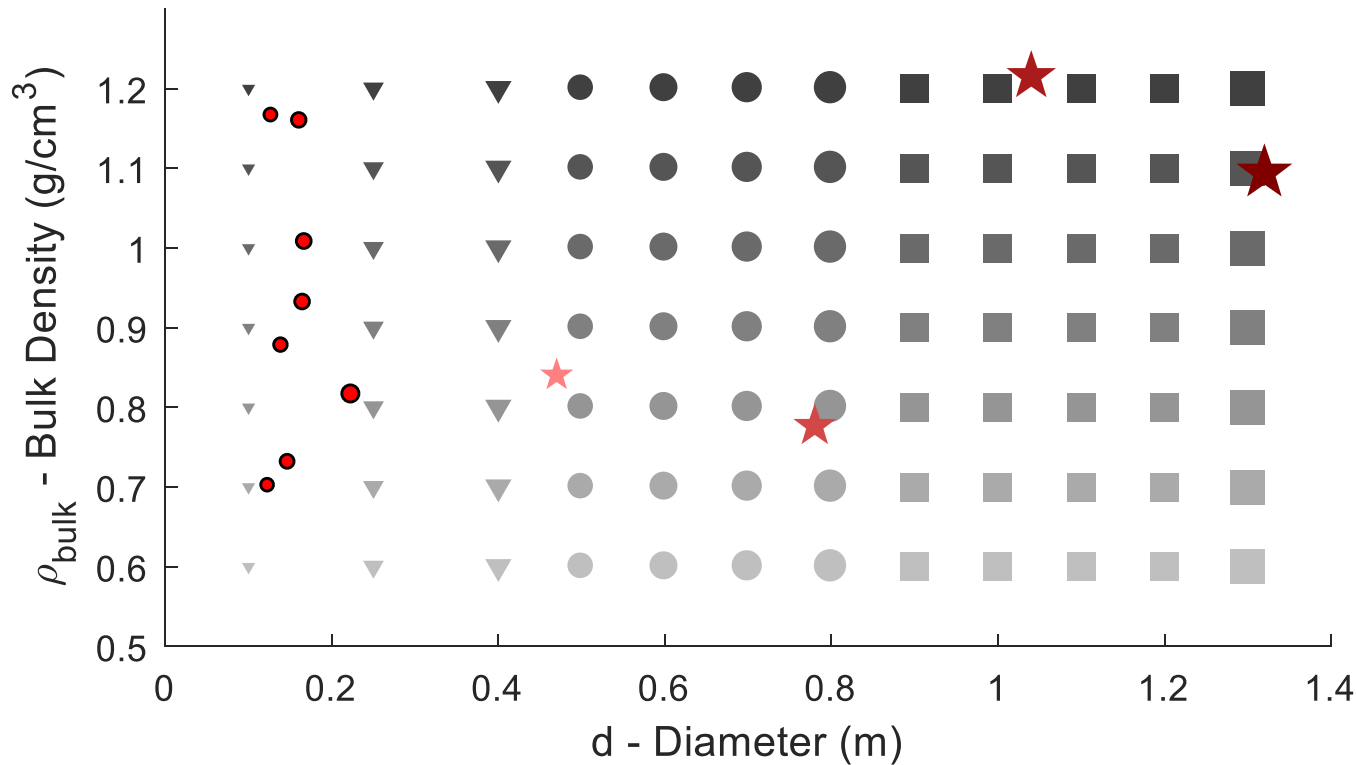
$$C = \frac{FOS_{\text{thermal}} k_{\text{insulation}} \int T_{\text{skin}} dt}{\Delta h_{\text{sink}} \rho_{\text{insulation}}}$$



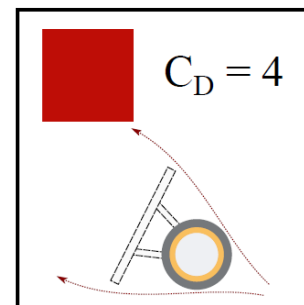
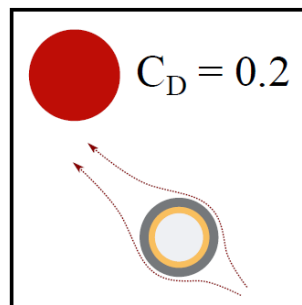
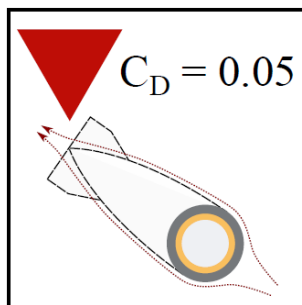
$$C = \frac{FOS_{\text{thermal}} k_{\text{insulation}} \int T_{\text{skin}} dt}{\Delta h_{\text{sink}} \rho_{\text{sink}}}$$



Parameter Sweep



*VISAGE (proposed mission) and Lorenz data from *expected* performance

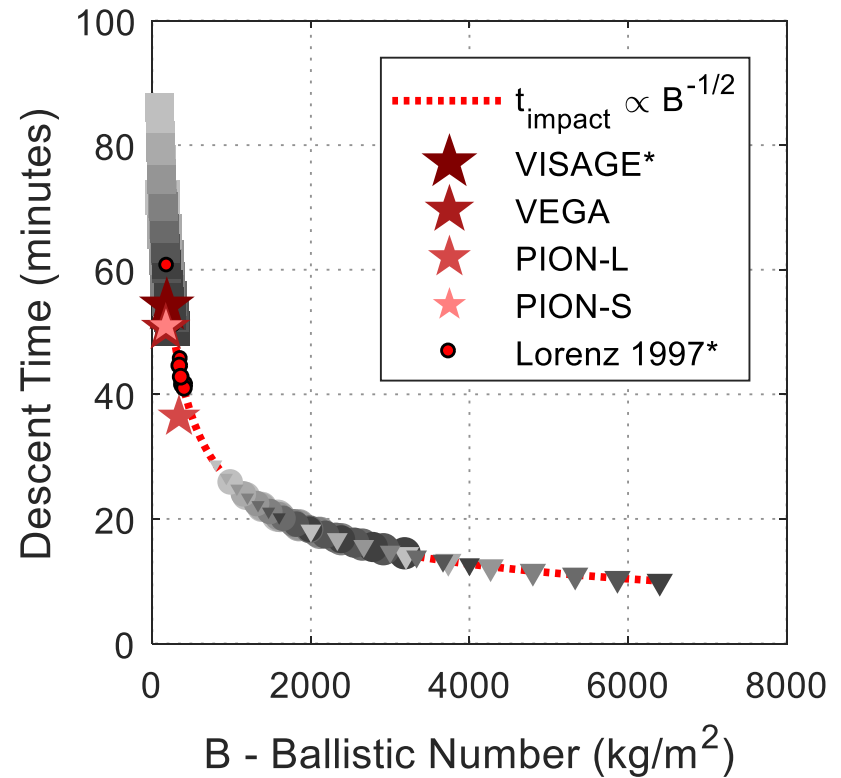
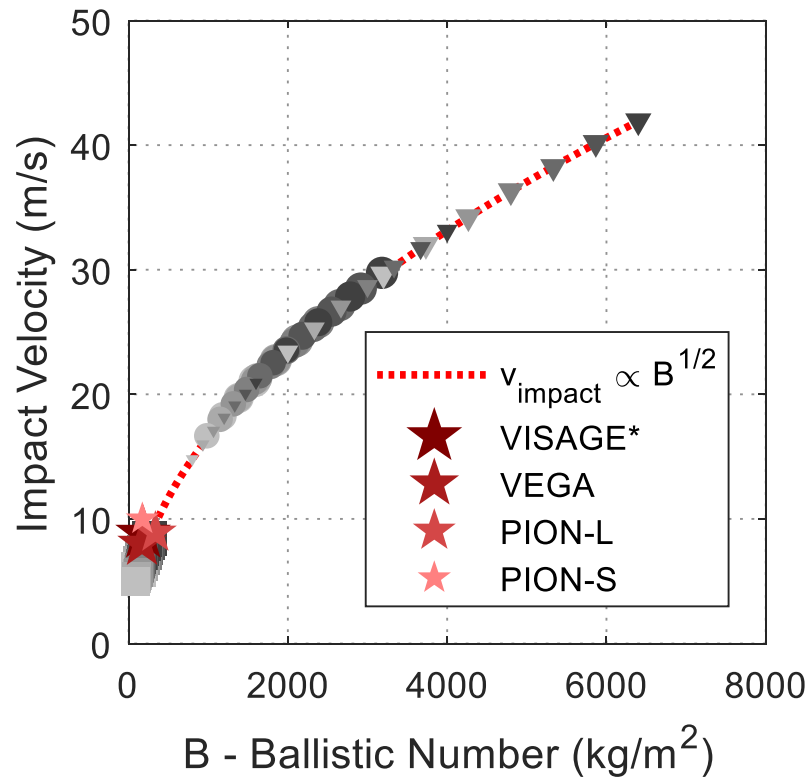


Assumes **streamlining** adds negligible mass

Trajectory Correlations

Impact velocity and time correlate with Ballistic number B

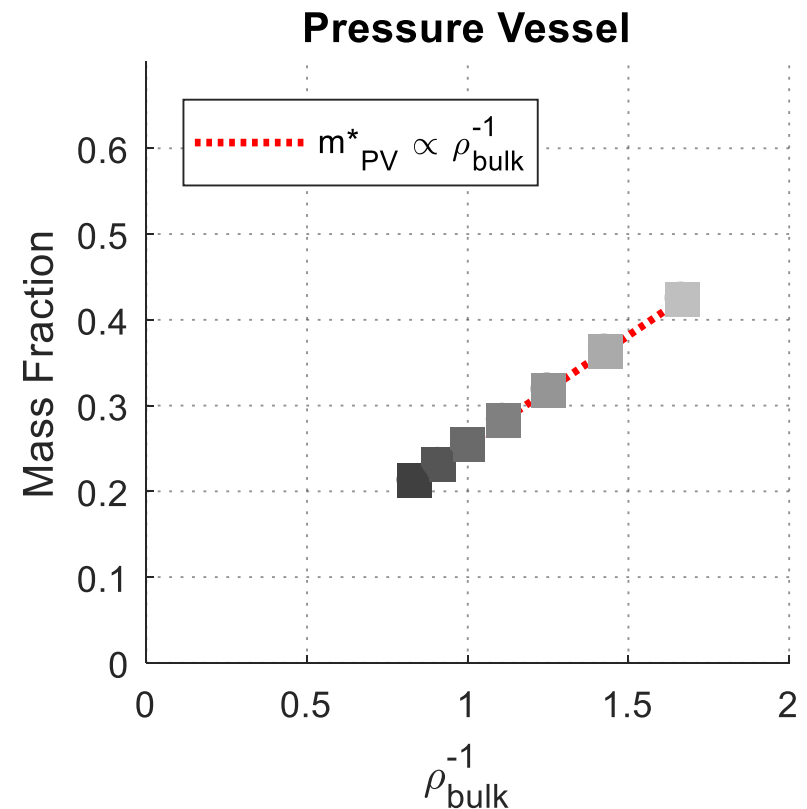
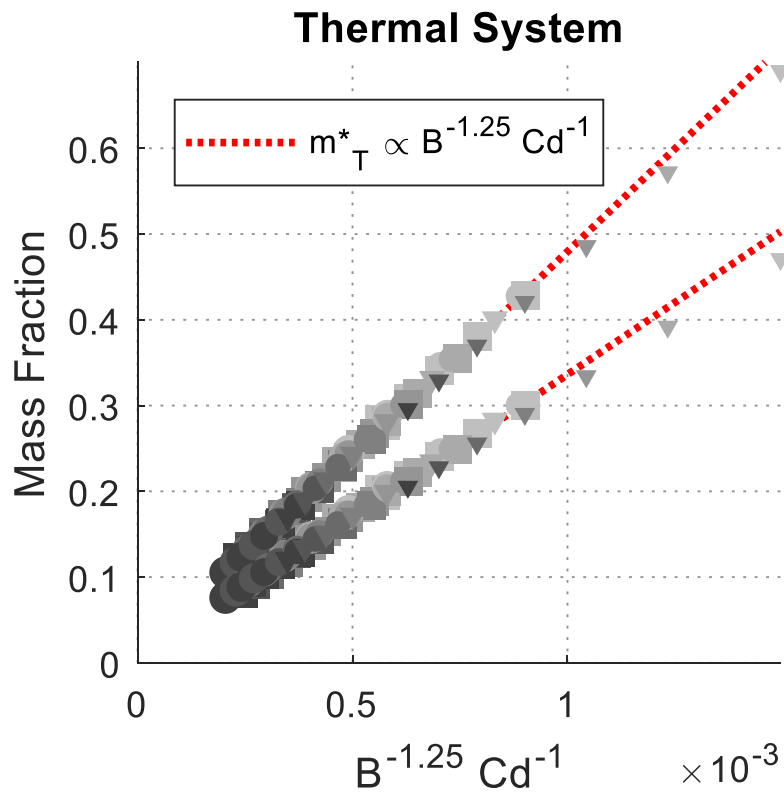
$$B = \frac{m}{\pi r^2 C_d}$$



Note: Data for VISAGE*, VEGA, PION-L, & PION-S probes assumes separated flow ($C_d=1.2$), and impact time measured from parachute cut at 45-55km, or 50km if no parachute

Mass Fractions of Subsystems

- **Thermal system:** dependent on both **ballistic number** and **drag coefficient**
- **Pressure vessel:** dependent only on **bulk density**



Example Probes (at $\rho_{\text{payload}} = 0.7\text{kg/m}^3$)

A: Spherical 500mm Diameter

- **Total:** 52kg mass, 0.8 bulk density
- **Payload:** 25kg mass (47%), 0.7 density
- **Trajectory:** 22min descent, 19m/s impact

B: Streamlined 400mm Diameter

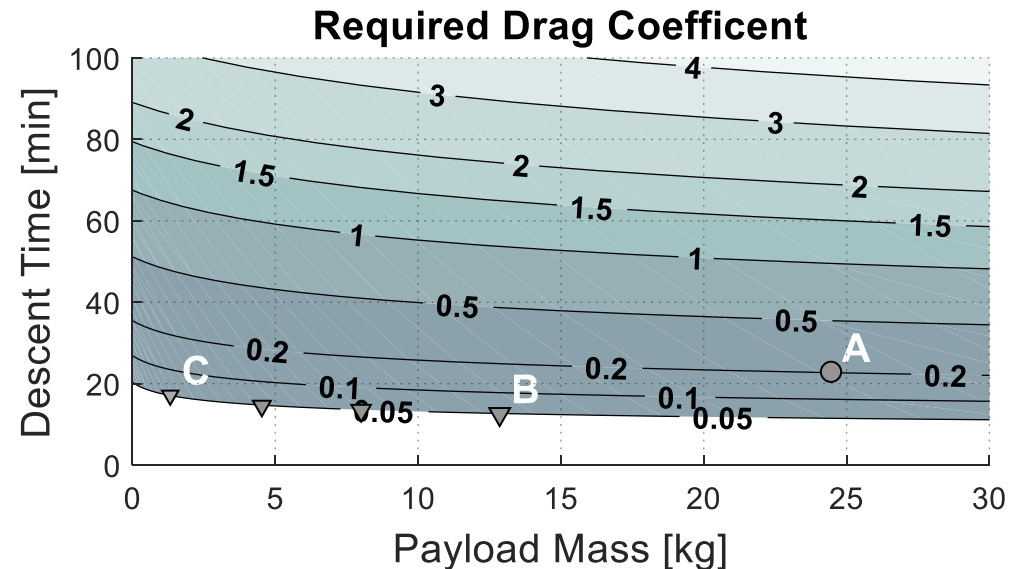
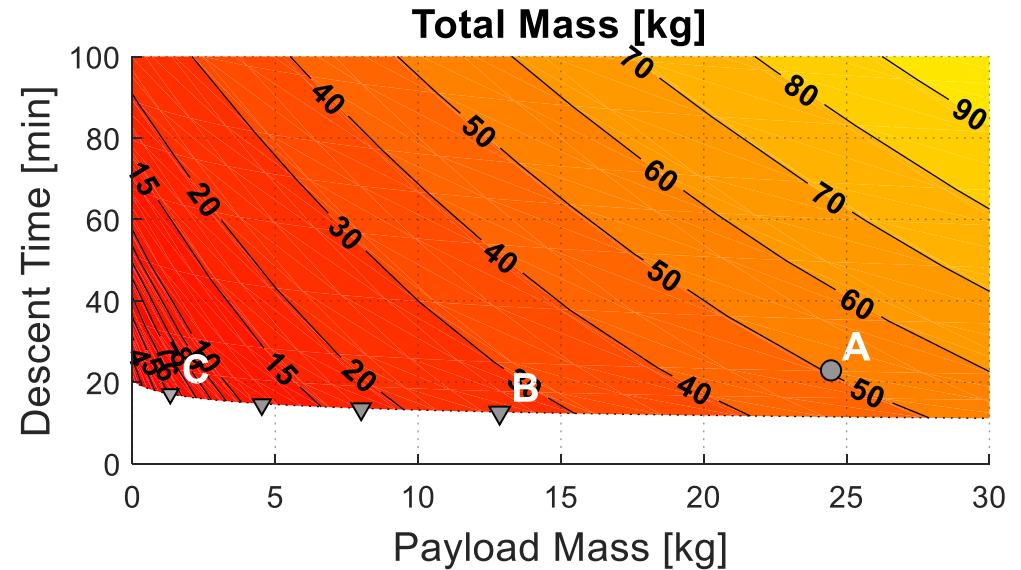
- **Total:** 27kg mass, 0.8 bulk density
- **Payload:** 13kg mass (48%), 0.7 density
- **Trajectory:** 12min descent, 34m/s impact

C: Streamlined 250mm Diameter

- **Total:** 5.7kg mass, 0.7 bulk density
- **Payload:** 1.4kg mass (24%), 0.7 density
- **Trajectory:** 17min descent, 25m/s impact

Cutoff around 2kg, as thermal & pressure systems take all the mass

Small probes (5-10kg range) with 30°C payload can plausibly survive Venus atmosphere

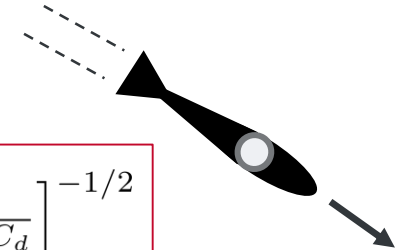


Conclusions

Aerodynamics: Streamlining is highly enabling

- **Mitigates** conduction timeline
- **Negligibly** increases convection
- **Tradeoff** shorter measurement time (**~15 minutes**) for a colder payload

$$t_{\text{impact}} \propto \left[\frac{m}{\pi r^2 C_d} \right]^{-1/2}$$



Thermal: Tradeoff between insulation and sink mass

- **Optimums exists** for both minimum mass and volume
- **Analytic solution** for optimum point

$$\text{Optimal Thickness} = \frac{1}{2}r - \frac{1}{2}r\sqrt{1 - 4\sqrt{C}/r^2}$$

Small probes are plausible

- **Range 5-10kg** have payload fractions above 20%
- **Pressure vessel** takes ~20% to 40% of mass (**denser is better**)
- **Thermal system** takes ~10% to 40% of mass (**denser & streamlined is better**)

$$m_{\text{pressure vessel}}^* \propto \frac{1}{\rho_{\text{bulk}}}$$

$$m_{\text{thermal}}^* \propto B^{-5/4} C_d^{-1} \approx \frac{C_d^{1/4}}{m^{5/12} \rho_{\text{bulk}}^{5/6}}$$

[in-prep] Izraelevitz, J.S. & Hall, J. Minimum-Mass Limits for Streamlined Venus Atmospheric Probes. AIAA Journal of Spacecraft and Rockets, 2018

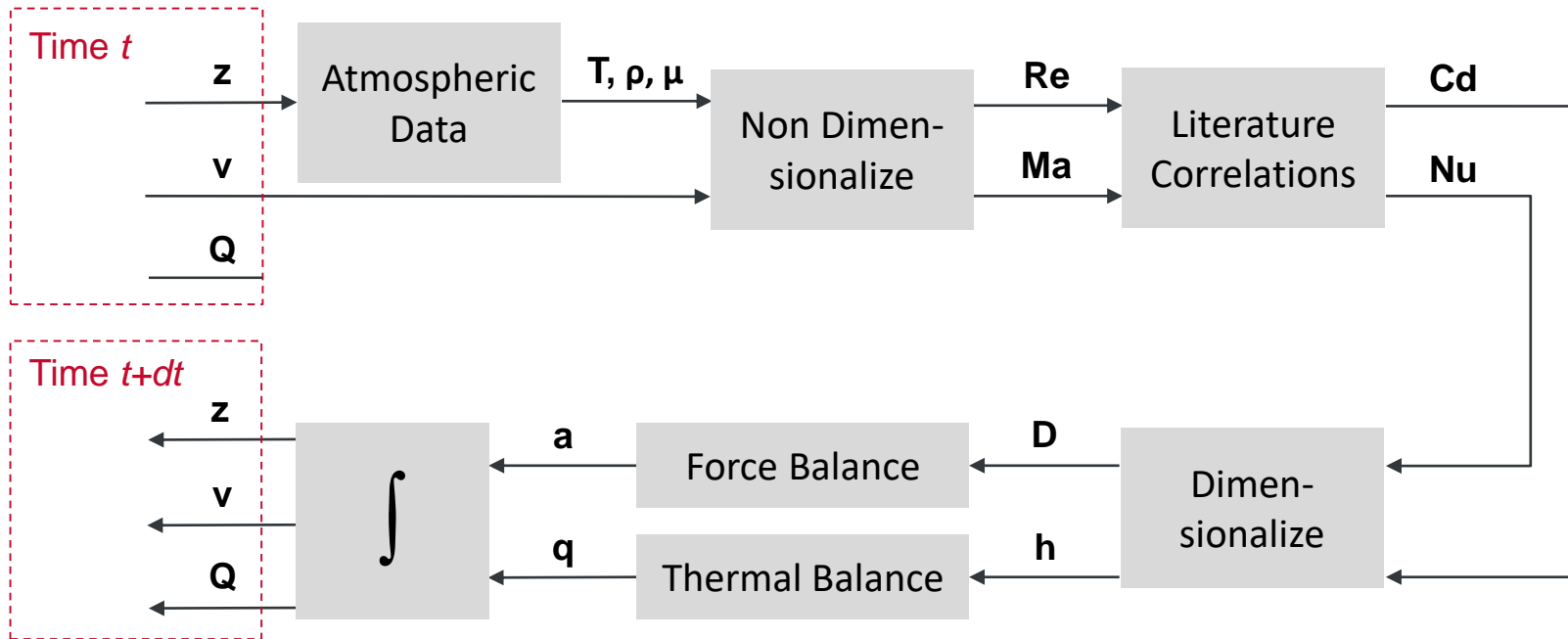
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Backup Slides

Computation Method

ODE solver (Runge-Kutta), combined with **known correlations** for spheres



z - altitude
v - velocity
Q - heat energy sunk
T, ρ, μ - atmosphere properties
Re - Reynolds number
Ma - Mach number

Cd - drag coefficient
Nu - Nusselt number
D - drag force
h - convection coefficient
a - acceleration
q - heat flow rate

Example Probes

Probe Number	Diameter (m)	Bulk Density (vs water)	Drag Coefficient	Mass (kg)	Ballistic number (kg/m ²)	Impact Velocity (m/s)	Impact Time from 50km (s)	Payload Mass (kg)	Payload Mass Fraction	Payload Bulk Density (vs water)
1	0.5	0.8	0.2	52.35988	1333.333	19.11983	22.24201	24.67644	0.471285	0.679686
2	0.4	0.8	0.05	26.80826	4266.667	34.2394	12.29557	12.95176	0.483126	0.665883
3	0.25	0.7	0.05	5.726862	2333.333	25.28088	16.75017	1.400331	0.24452	0.643993